

Yield vs Fight:

Confrontation between two people. P_1, P_2

Each can choose to either  Yield (Y)
Fight (F)

one type of Player 1.
 Two types of Player 2
 Player 2 — Strong $P = \frac{1}{4}$
 Player 2 — weak $P = \frac{3}{4}$

Bayesian Yield vs Fight

	Y	F
Y	0, 0	0, 1
F	1, 0	-1, 1

Strong
 $P(S) = \frac{1}{4}$

	Y	F
Y	0, 0	0, 1
F	1, 0	1, -1

Weak
 $P(W) = \frac{3}{4}$

Player 2 chooses (F, Y)

Player 2 of type
Strong chooses F

Player 2 of type
Weak chooses Y

$u_1(Y, (F, Y))$

Player 1 chooses Y

Player 2 of type strong

Player 2 of type Weak

$$= 0 \times \frac{1}{4} + 0 \times \frac{3}{4} = 0$$

$U_1(F, (F, Y))$

Player 1 choosing F

Player 2 of type strong chooses F

Player 2 of type weak chooses Y.

$$= -1 \times \frac{1}{4} + 1 \times \frac{3}{4} = -\frac{1}{4} + \frac{3}{4} = \frac{1}{2}$$

let player 2 choose

(F, F)

Player 2 of type strong chooses F

Player 2 of type weak chooses F

$$U_1(Y, (F, F))$$

$$= 0 \times \frac{1}{4} + 0 \times \frac{3}{4} = 0$$

$$U_1(F, (F, F))$$

$$= (-1) \times \frac{1}{4} + 1 \times \frac{3}{4} = -\frac{1}{4} + \frac{3}{4}$$
$$= \frac{1}{2}$$

We also have to compute average payoffs of Player 1, corresponding to (Y, F) , (Y, Y) of Player 2.

(Y, F) — Player 2 of type strong chooses Y
— Player 2 of type weak chooses F

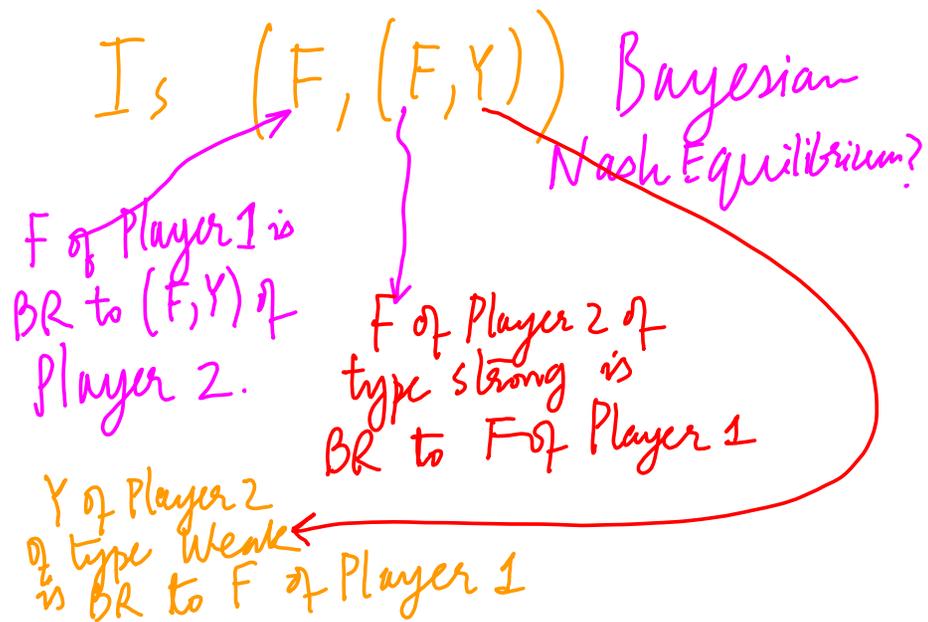
(Y, Y) — Player 2 of type strong chooses Y
— Player 2 of type weak also chooses Y.

Y is a dominated strategy for player 2 of type strong.

Therefore, in any Nash equilibrium of the game, Player 2 of type Strong is NOT choosing Y.

Average payoffs of Player 1

	(F, Y)	(F, F)	(Y, F)	(Y, Y)
Y	0	0	/	/
F	$\frac{1}{2}$	$\frac{1}{2}$	/	/



Therefore $(F, (F, Y))$ is a Bayesian Nash Equilibrium of this game since each player of each type is playing BR.

