

# Chapter 13

## Sight distance

### 13.1 Overview

The safe and efficient operation of vehicles on the road depends very much on the visibility of the road ahead of the driver. Thus the geometric design of the road should be done such that any obstruction on the road length could be visible to the driver from some distance ahead. This distance is said to be the sight distance.

### 13.2 Types of sight distance

Sight distance available from a point is the actual distance along the road surface, over which a driver from a specified height above the carriage way has visibility of stationary or moving objects. Three sight distance situations are considered for design:

- Stopping sight distance (SSD) or the absolute minimum sight distance
- Intermediate sight distance (ISD) is defined as twice SSD
- Overtaking sight distance (OSD) for safe overtaking operation
- Head light sight distance is the distance visible to a driver during night driving under the illumination of head lights
- Safe sight distance to enter into an intersection.

The most important consideration in all these is that at all times the driver traveling at the design speed of the highway must have sufficient carriageway distance within his line of vision to allow him to stop his vehicle before colliding with a slowly moving or stationary object appearing suddenly in his own traffic lane.

The computation of sight distance depends on:

- Reaction time of the driver

Reaction time of a driver is the time taken from the instant the object is visible to the driver to the instant when the brakes are applied. The total reaction time may be split up into four components based on PIEV theory. In practice, all these times are usually combined into a total perception-reaction time suitable for design purposes as well as for easy measurement. Many of the studies shows that drivers require about 1.5 to 2 secs under normal conditions. However, taking into consideration the variability of driver characteristics, a higher value is normally used in design. For example, IRC suggests a reaction time of 2.5 secs.

- Speed of the vehicle

The speed of the vehicle very much affects the sight distance. Higher the speed, more time will be required to stop the vehicle. Hence it is evident that, as the speed increases, sight distance also increases.

- Efficiency of brakes

The efficiency of the brakes depends upon the age of the vehicle, vehicle characteristics etc. If the brake efficiency is 100%, the vehicle will stop the moment the brakes are applied. But practically, it is not possible to achieve 100% brake efficiency. Therefore the sight distance required will be more when the efficiency of brakes are less. Also for safe geometric design, we assume that the vehicles have only 50% brake efficiency.

- Frictional resistance between the tyre and the road

The frictional resistance between the tyre and road plays an important role to bring the vehicle to stop. When the frictional resistance is more, the vehicles stop immediately. Thus sight required will be less. No separate provision for brake efficiency is provided while computing the sight distance. This is taken into account along with the factor of longitudinal friction. IRC has specified the value of longitudinal friction in between 0.35 to 0.4.

- Gradient of the road.

Gradient of the road also affects the sight distance. While climbing up a gradient, the vehicle can stop immediately. Therefore sight distance required is less. While descending a gradient, gravity also comes into action and more time will be required to stop the vehicle. Sight distance required will be more in this case.

### 13.3 Stopping sight distance

Stopping sight distance (SSD) is the minimum sight distance available on a highway at any spot having sufficient length to enable the driver to stop a vehicle traveling at design speed, safely without collision with any other obstruction.

There is a term called *safe stopping distance* and is one of the important measures in traffic engineering. It is the distance a vehicle travels from the point at which a situation is first perceived to the time the deceleration is complete. Drivers must have adequate time if they are to suddenly respond to a situation. Thus in highway design, sight distance atleast equal to the safe stopping distance should be provided. The stopping sight distance is the sum of lag distance and the braking distance. Lag distance is the distance the vehicle traveled during the reaction time  $t$  and is given by  $vt$ , where  $v$  is the velocity in  $m/sec^2$ . Braking distance is the distance traveled by the vehicle during braking operation. For a level road this is obtained by equating the work done in stopping the vehicle and the kinetic energy of the vehicle. If  $F$  is the maximum frictional force developed and the braking distance is  $l$ , then work done against friction in stopping the vehicle is  $F l = f W l$  where  $W$  is the total weight of the vehicle. The kinetic energy at the design speed is

$$\begin{aligned} \frac{1}{2} m v^2 &= \frac{1}{2} \frac{W v^2}{g} \\ f W l &= \frac{W v^2}{2g} \end{aligned}$$

$$l = \frac{v^2}{2gf}$$

Therefore, the SSD = lag distance + braking distance and given by:

$$SSD = vt + \frac{v^2}{2gf} \quad (13.1)$$

where  $v$  is the design speed in  $m/sec^2$ ,  $t$  is the reaction time in  $sec$ ,  $g$  is the acceleration due to gravity and  $f$  is the coefficient of friction. The coefficient of friction  $f$  is given below for various design speed. When there is an

Table 13:1: Coefficient of longitudinal friction

Speed, kmph	<30	40	50	60	>80
$f$	0.40	0.38	0.37	0.36	0.35

ascending gradient of say  $+n\%$ , the component of gravity adds to braking action and hence braking distance is decreased. The component of gravity acting parallel to the surface which adds to the the braking force is equal to  $W \sin \alpha \approx W \tan \alpha = Wn/100$ . Equating kinetic energy and work done:

$$\left(fW + \frac{Wn}{100}\right)l = \frac{Wv^2}{2g}$$

$$l = \frac{v^2}{2g\left(f + \frac{n}{100}\right)}$$

Similarly the braking distance can be derived for a descending gradient. Therefore the general equation is given by Equation 13.2.

$$SSD = vt + \frac{v^2}{2g(f \pm 0.01n)} \quad (13.2)$$

## 13.4 Overtaking sight distance

The overtaking sight distance is the minimum distance open to the vision of the driver of a vehicle intending to overtake the slow vehicle ahead safely against the traffic in the opposite direction. The overtaking sight distance or passing sight distance is measured along the center line of the road over which a driver with his eye level 1.2 m above the road surface can see the top of an object 1.2 m above the road surface.

The factors that affect the OSD are:

- Velocities of the overtaking vehicle, overtaken vehicle and of the vehicle coming in the opposite direction.
- Spacing between vehicles, which in-turn depends on the speed
- Skill and reaction time of the driver
- Rate of acceleration of overtaking vehicle
- Gradient of the road

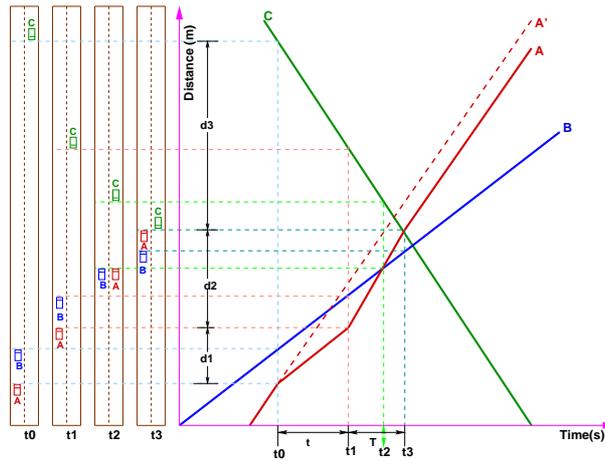


Figure 13:1: Time-space diagram: Illustration of overtaking sight distance

The dynamics of the overtaking operation is given in the figure which is a time-space diagram. The x-axis denotes the time and y-axis shows the distance traveled by the vehicles. The trajectory of the slow moving vehicle (B) is shown as a straight line which indicates that it is traveling at a constant speed. A fast moving vehicle (A) is traveling behind the vehicle B. The trajectory of the vehicle is shown initially with a steeper slope. The dotted line indicates the path of the vehicle A if B was absent. The vehicle A slows down to follow the vehicle B as shown in the figure with same slope from  $t_0$  to  $t_1$ . Then it overtakes the vehicle B and occupies the left lane at time  $t_3$ . The time duration  $T = t_3 - t_1$  is the actual duration of the overtaking operation. The snapshots of the road at time  $t_0, t_1$ , and  $t_3$  are shown on the left side of the figure. From the Figure 13:1, the overtaking sight distance consists of three parts.

- $d_1$  the distance traveled by overtaking vehicle A during the reaction time  $t = t_1 - t_0$
- $d_2$  the distance traveled by the vehicle during the actual overtaking operation  $T = t_3 - t_1$
- $d_3$  is the distance traveled by on-coming vehicle C during the overtaking operation ( $T$ ).

Therefore:

$$OSD = d_1 + d_2 + d_3 \tag{13.3}$$

It is assumed that the vehicle A is forced to reduce its speed to  $v_b$ , the speed of the slow moving vehicle B and travels behind it during the reaction time  $t$  of the driver. So  $d_1$  is given by:

$$d_1 = v_b t \tag{13.4}$$

Then the vehicle A starts to accelerate, shifts the lane, overtake and shift back to the original lane. The vehicle A maintains the spacing  $s$  before and after overtaking. The spacing  $s$  in  $m$  is given by:

$$s = 0.7v_b + 6 \tag{13.5}$$

Let  $T$  be the duration of actual overtaking. The distance traveled by B during the overtaking operation is  $2s + v_b T$ . Also, during this time, vehicle A accelerated from initial velocity  $v_b$  and overtaking is completed while

reaching final velocity  $v$ . Hence the distance traveled is given by:

$$\begin{aligned}
 d_2 &= v_b T + \frac{1}{2} a T^2 \\
 2s + v_b T &= v_b T + \frac{1}{2} a T^2 \\
 2s &= \frac{1}{2} a T^2 \\
 T &= \sqrt{\frac{4s}{a}} \\
 d_2 &= 2s + v_b \sqrt{\frac{4s}{a}}
 \end{aligned} \tag{13.6}$$

The distance traveled by the vehicle C moving at design speed  $v$   $m/sec$  during overtaking operation is given by:

$$d_3 = vT \tag{13.7}$$

The the overtaking sight distance is (Figure 13:1)

$$OSD = v_b t + 2s + v_b \sqrt{\frac{4s}{a}} + vT \tag{13.8}$$

where  $v_b$  is the velocity of the slow moving vehicle in  $m/sec^2$ ,  $t$  the reaction time of the driver in  $sec$ ,  $s$  is the spacing between the two vehicle in  $m$  given by equation 13.5 and  $a$  is the overtaking vehicles acceleration in  $m/sec^2$ . In case the speed of the overtaken vehicle is not given, it can be assumed that it moves 16 kmph slower the the design speed.

The acceleration values of the fast vehicle depends on its speed and given in Table 13:2. Note that:

Table 13:2: Maximum overtaking acceleration at different speeds

Speed (kmph)	Maximum overtaking acceleration ( $m/sec^2$ )
25	1.41
30	1.30
40	1.24
50	1.11
65	0.92
80	0.72
100	0.53

- On divided highways,  $d_3$  need not be considered
- On divided highways with four or more lanes, IRC suggests that it is not necessary to provide the OSD, but only SSD is sufficient.

### Overtaking zones

Overtaking zones are provided when OSD cannot be provided throughout the length of the highway. These are zones dedicated for overtaking operation, marked with wide roads. The desirable length of overtaking zones is 5 time OSD and the minimum is three times OSD (Figure 13:2).

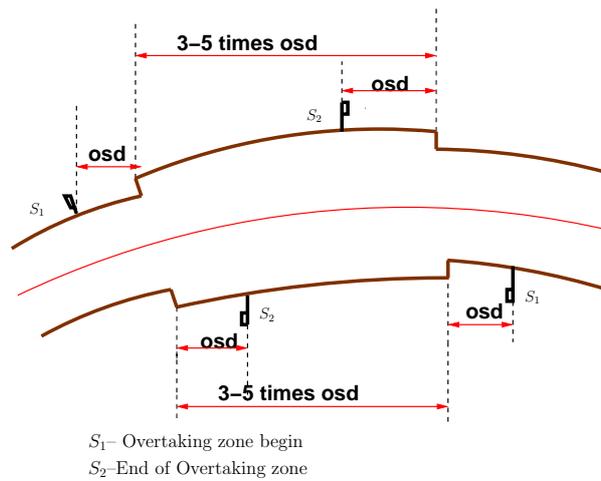


Figure 13:2: Overtaking zones

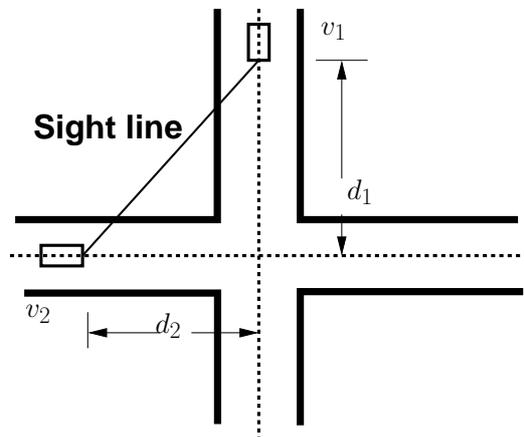


Figure 13:3: Sight distance at intersections

### 13.5 Sight distance at intersections

At intersections where two or more roads meet, visibility should be provided for the drivers approaching the intersection from either sides. They should be able to perceive a hazard and stop the vehicle if required. Stopping sight distance for each road can be computed from the design speed. The sight distance should be provided such that the drivers on either side should be able to see each other. This is illustrated in the figure 13:3.

Design of sight distance at intersections may be used on three possible conditions:

- Enabling approaching vehicle to change the speed
- Enabling approaching vehicle to stop
- Enabling stopped vehicle to cross a main road

## 13.6 Summary

One of the key factors for the safe and efficient operation of vehicles on the road is sight distance. Sight distances ensure overtaking and stopping operations at the right time. Different types of sight distances and the equations to find each of these had been discussed here.

## 13.7 Problems

1. Calculate SSD for  $V=50\text{kmph}$  for (a) two-way traffic in a two lane road (b) two-way traffic in single lane road. (Hint:  $f=0.37$ ,  $t=2.5$ ) [Ans: (a)61.4 m (b) 122.8 m.

Given:  $V=50\text{km/hr} = 13.9\text{m/s}$   $f=0.37$   $t= 2.5$  sec stopping distance=lag distance + braking distance

$$SD = vt + v^2/2gf$$

Stopping Distance = 61.4 m

Stopping sight distance when there are two lanes = stopping distance= 61.4m.

Stopping sight distance for a two way traffic for a single lane = 2[stopping distance]=122.8m

2. Find minimum sight distance to avoid head-on collision of two cars approaching at 90 kmph and 60 kmph. Given  $t=2.5\text{sec}$ ,  $f=0.7$  and brake efficiency of 50 percent in either case. (Hint: brake efficiency reduces the coefficient of friction by 50 percent). [Ans:  $SD=153.6+82.2=235.8\text{m}$ ]

Given:  $V_1 = 90 \text{ Km/hr}$ .  $V_2 = 60 \text{ Km/hr}$ .  $t = 2.5\text{sec}$ . Braking efficiency=50%.  $f=.7$ .

Stopping distance for one of the cars

$$SD = vt + v^2/2gf$$

Coefficient of friction due to braking efficiency of 50% =  $0.5*0.7=0.35$ . Stopping sight distance of first car=  $SD_1= 153.6\text{m}$

Stopping sight distance of second car=  $SD_2= 82.2\text{m}$

Stopping sight distance to avoid head on collision of the two approaching cars  $SD_1+ SD_2=235.8\text{m}$ .

3. Find SSD for a descending gradient of 2% for  $V=80\text{kmph}$ . [Ans: 132m].

Given: Gradient(n) = -2%  $V = 80 \text{ Km/hr}$ .

$$SD = vt + v^2/2g(f - n\%)$$

SSD on road with gradient = 132m.

4. Find head light sight distance and intermediate sight distance for  $V=65$  kmph. (Hint:  $f=0.36$ ,  $t=2.5$  s,  $HSD=SSD$ ,  $ISD=2*SSD$ ) [Ans: 91.4 and 182.8 m]

Given:  $V=65$ km/hr  $f=0.36$   $t= 2.5$  sec

$$SD = vt + v^2/2gf$$

Headlight Sight distance = 91.4m.

Intermediate Sight distance=  $2[SSD]= 182.8$ m.

5. Overtaking and overtaken vehicles are at 70 and 40 kmph respectively. find (i) OSD (ii) min. and desirable length of overtaking zone (iii) show the sketch of overtaking zone with location of sign post (hint:  $a=0.99$  m/sec<sup>2</sup>) [Ans: (i) 278 m (ii) 834 m/1390]
6. Calculate OSD for  $V=96$  kmph. Assume all other data. (Hint:  $V_b=96-16$ kmph.  $a=0.72$ ,  $t=2.5$ s) [Ans: OSD one way 342m, OSD two way 646m]